

# Economic Evaluation

## Lec 13: Valuing Impacts from Observed Behavior: Direct Estimation of Demand Curves

**Alessandro Martinello**

alfa 4035B

[alessandro.martinello@nek.lu.se](mailto:alessandro.martinello@nek.lu.se)



**LUND UNIVERSITY**  
School of Economics and Management

- **Mail policy**
  - **NO content questions by email**
  - Ask during/between classes or just walk over to α 4035B

# Reading list

- **BGVW ch.13**

# Estimation of demand curves

- **Necessary** to calculate social surplus
  - **Demand** (MBs) and **supply** (MCs) in **primary market**
- **Existing markets**
  - Market failures  $\implies$  **shadow prices**
  - Next lecture
- **Focus on demand**
  - $\Delta$  in producer's surplus easily computed: profits
  - **Often negligible:** focus of intervention is  $\approx$  always consumer
  - Eventually, same techniques apply

- ① **Extrapolating from functional form and elasticity**
  - Requires previous research: ✓
  - Assumptions: **External validity**
- ② **Extrapolating from few observations**
  - Requires previous research: X
  - Assumptions: **Structural form, identification**
- ③ **Estimating from many observations**
  - Requires previous research: X
  - Assumptions: **Structural form, identification**

## Policy that changes the price of a good

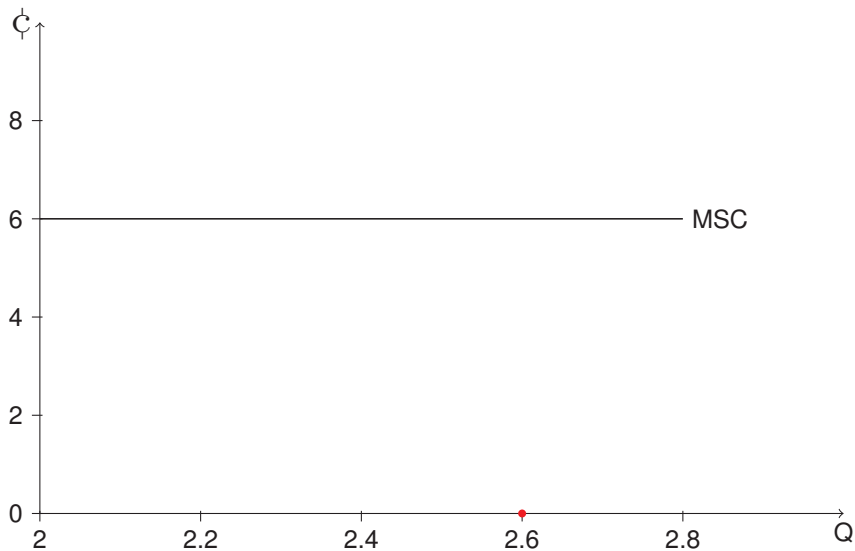
- E.g. **Household refuse collection fee** (free-riding)
  - Marginal collection cost = 40\$ per ton
  - Tipping fee = 80\$ per ton
- ⇒ MSC = 0.06\$/lb
  - Marginal private cost = 0 (fee does not depend on quantity)

# Knowing slope/elasticity of demand

## Policy that changes the price of a good

- E.g. **Household refuse collection fee** (free-riding)
  - Marginal collection cost = 40\$ per ton
  - Tipping fee = 80\$ per ton
  - ⇒ MSC = 0.06\$/lb
    - Marginal private cost = 0 (fee does not depend on quantity)
- **Fee of 1\$ per container ( $\approx$  20 lb)**
  - ↗ of fee per pound of garbage from 0\$ to 0.05\$/lb
- **Status quo:** provides a point on demand curve
  - Currently: at 0\$/lb, every person produces 2.6 lb

# Extrapolating a demand curve





# Predict a change in waste disposal usage

## Needs assumption on functional form + elasticity

- **Linear demand curve**: constant MB

$$q = \alpha_0 + \alpha_1 p$$

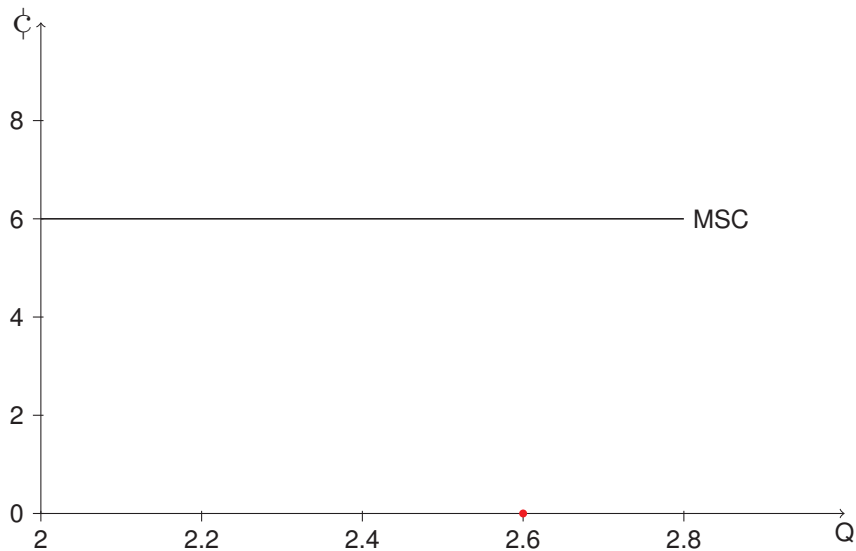
- **Jenkins (1993)** - US study

- 1\$ increase in price **per container** ↘ 0.4 lb per day

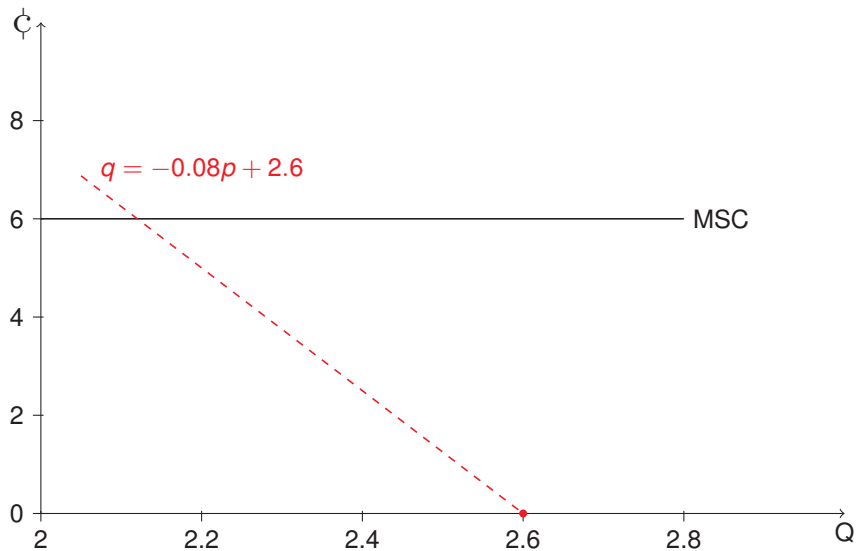
$$\implies \alpha_1 = -0.4$$

- **Rescale in lb**  $\implies \alpha_1 = -0.08$  (price in ¢)

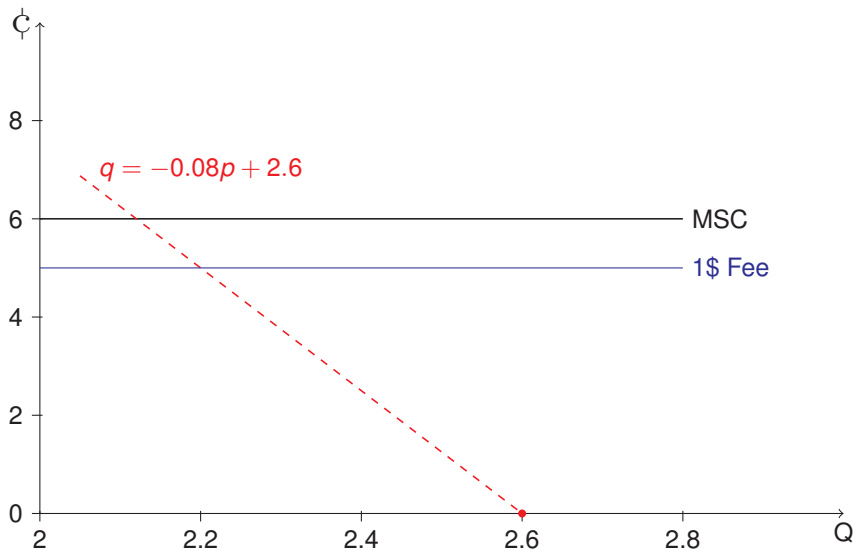
# Extrapolating a demand curve



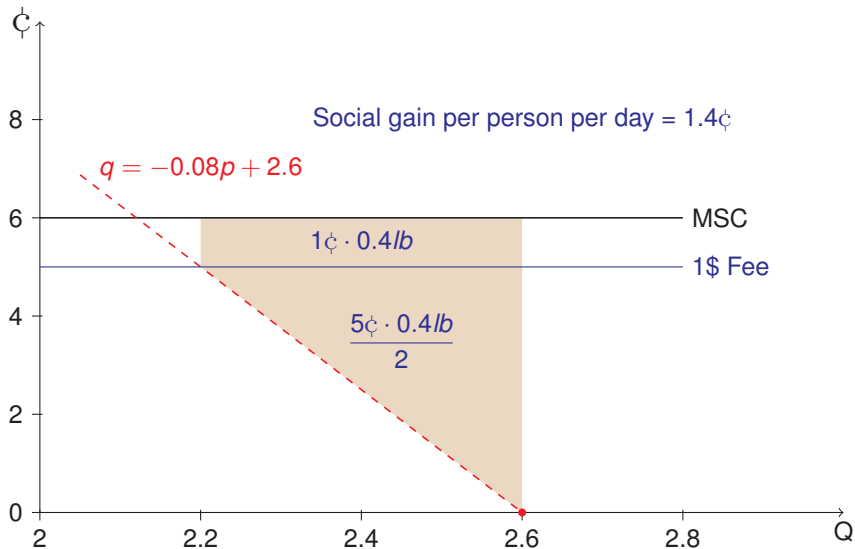
# Extrapolating a demand curve



# Extrapolating a demand curve



# Extrapolating a demand curve



# Little more than a basic econ exercise

- **Prediction of benefits if info on the slope**

$$14\text{¢} \cdot 365 \cdot 100000 = 511000\$ \text{ per year}$$

# Suppose have price elasticity estimate

- Still assuming **linear functional form**
- **Elasticity:** % change in  $q$  for 1% change in price
  - Dependent on point at which it was estimated (typically AVG)

$$\varepsilon_0 = \alpha_1 \frac{p_0}{q_0} \quad \implies \quad \alpha_1 = \varepsilon_0 \frac{q_0}{p_0}$$

- **Info:**  $\varepsilon_0 = -0.12$ ;  $q_0 = -2.62lb$ ;  $p_0 = -0.82\$$ ;

$\implies \alpha_1 \approx -0.4$  (containers per \$)

# Constant elasticity demand curve

- More often, assumption of **constant elasticity**
  - No need to know at which point estimated: 1% change in  $p$   
 $\implies$   $x\%$  change in  $q$
  - **Non-linear demand**

$$q = \beta_0 p^{\beta_1} \iff \ln q = \ln \beta_0 + \beta_1 \ln p$$

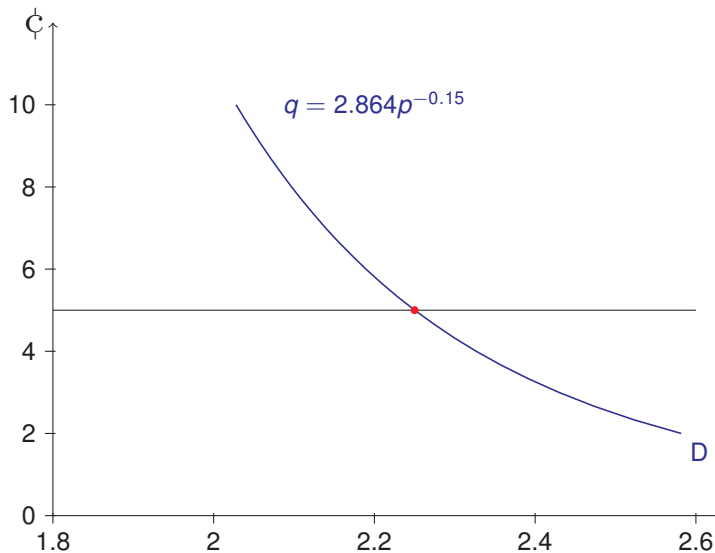
- **Elasticity:**  $\beta_1 = \varepsilon$
- **By construction, excludes**  $p = 0$
- **Appropriate for most good (loss of consumer surplus):**
  - Status quo:  $p_{sq} = 5\text{€}$ ;  $q_{sq} = 2.25$
  - Literature:  $\varepsilon = 0.15$

$$\implies q = \frac{q_{sq}}{p_{sq}^{\beta_1}} p^{\beta_1} = \frac{2.25}{5\text{€}^{-0.15}} p^{-0.15} \approx 2.864 p^{-0.15}$$

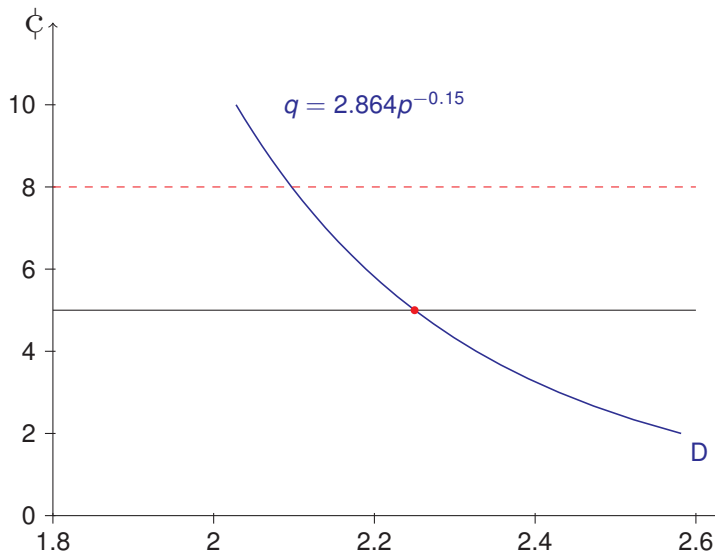
- Policy change:  $p_1 = 8\text{€}$



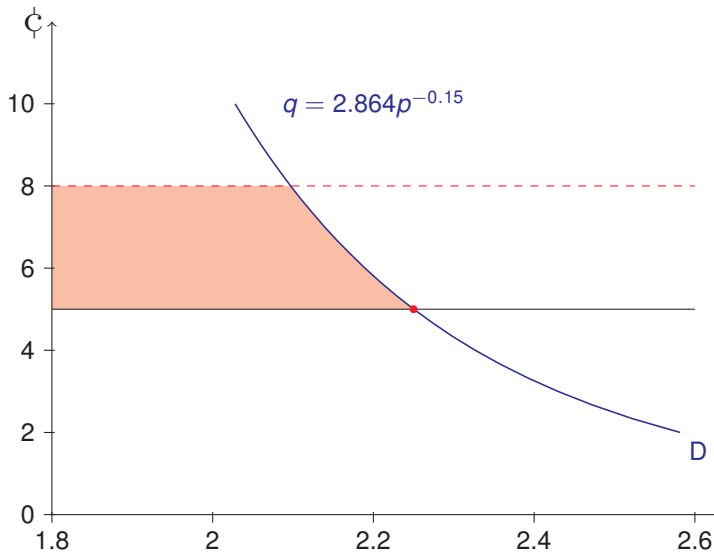
# Extrapolating from constant elasticity curve



# Extrapolating from constant elasticity curve



# Extrapolating from constant elasticity curve



# Calculating surplus loss

- **General approximated formula:**

$$\Delta CS \approx \frac{\varepsilon q_0 (\Delta p)^2}{2p_0} - q_0 (\Delta p) = -\frac{0.15 \cdot 2.25 \cdot 9}{2 \cdot 5} - 2.25 \cdot 3 \approx -6.45$$

$$\text{Total loss} = 0.0645 \cdot 365 \cdot 100000 \approx 2.35M\$$$

- **Exact formula for constant elasticity:**

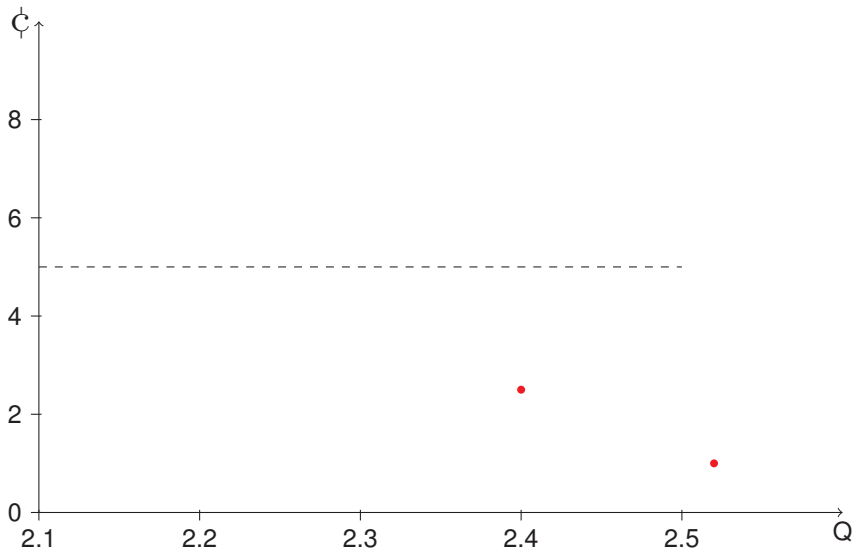
$$\Delta CS = -(p_1 q_1 - p_0 q_0) / (1 + \varepsilon) \approx -6.53$$

$$\text{Total loss} = 0.0653 \cdot 365 \cdot 100000 \approx 2.38M\$$$

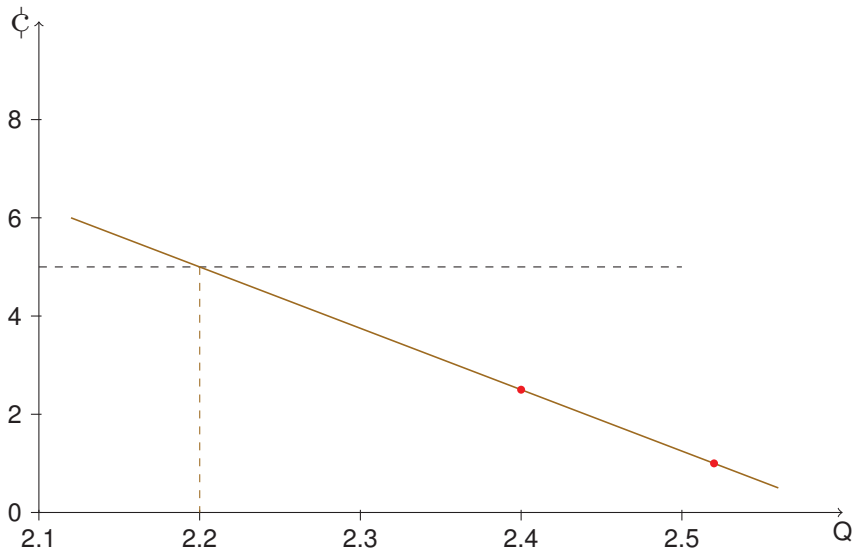
# Extrapolating from few observations

- **No reliable elasticity estimate from literature**
- **Few datapoints from past policy changes**
  - **Validity crucial:** possibly from experiment within the town
- **Assumptions:** informed(?) guess about shape of demand
  - Linear/constant elasticity
- **Example:**
  - $p_1 = 1\text{¢}; q_1 = 2.52$  &  $p_2 = 2.5\text{¢}; q_2 = 2.4$
  - $p = 5\text{¢} \implies ?$

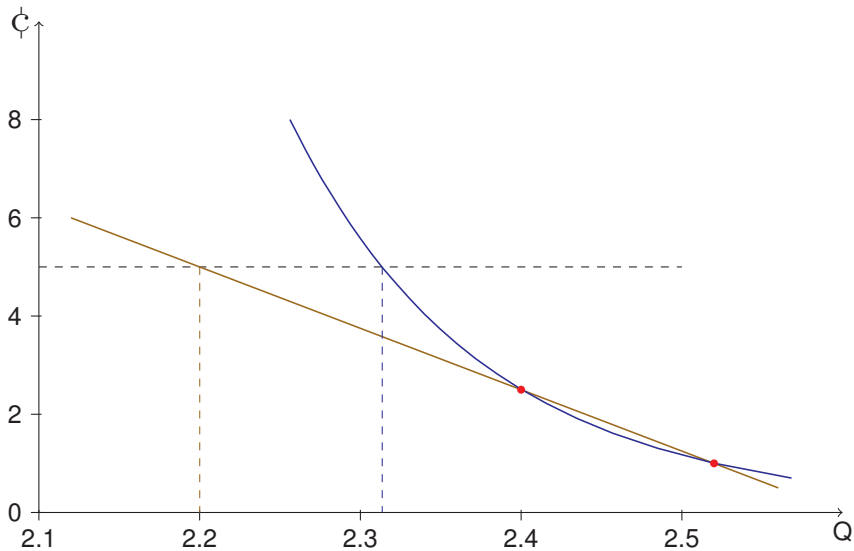
# A dangerous extrapolation



# A dangerous extrapolation



# A dangerous extrapolation





# Econometric estimation with many observations

- **Strictly dominant strategy wrt simple extrapolation**
- **Estimate elasticity/slope yourself**
  - Relatively new type of policy / not interesting for economists
- **Data gathering costly**
- **Structure & identification**
- **More control**

# Ordinary Least Squares - steps

## 1 Gather data, standardize measure

- Covariates  $Z$  : it help for **omitted variable bias**

## 2 Choose structure

- **Linear**

$$q_{it} = \alpha_1 q_{it} + Z_{it}\alpha + v_{1,t}$$

- **Logarithmic**

$$\ln(q_{it}) = \beta_1 \ln(q_{it}) + Z_{it}\beta + \zeta_{1,t}$$

## 3 OLS the hell out of it

$$\beta = (X'X)^{-1}X'Y$$

- Only relevant coefficient ( $\alpha_1/\beta_1$ ) matters for welfare measures

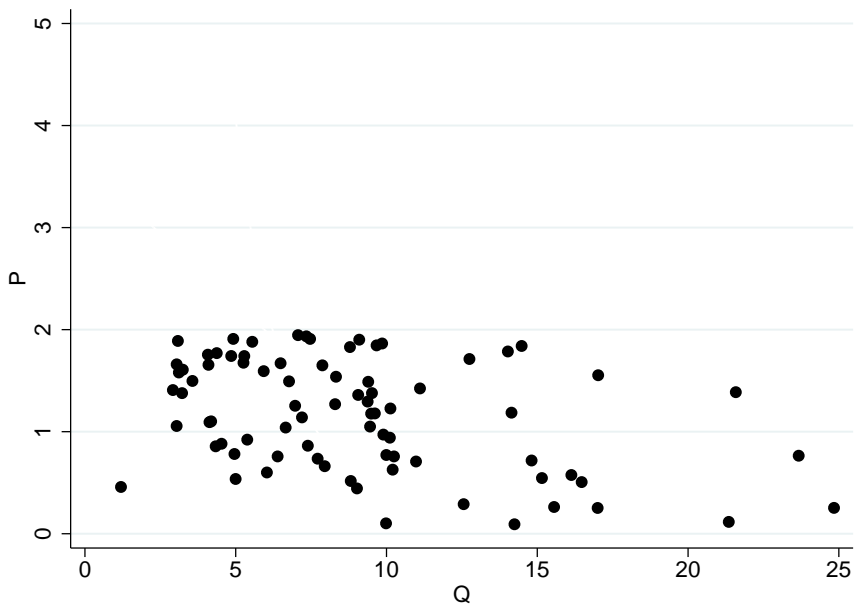
## Identification

- **Demand not identifiable in perfect markets!**
  - $\times$  of supply and demand, not enough info to estimate both
- Less of a concern in **regulated markets** (waste): supply fixed
  - Still, **variation needs to be exogenous**
  - If  $p$  increases because of  $\nearrow$  in waste, no good

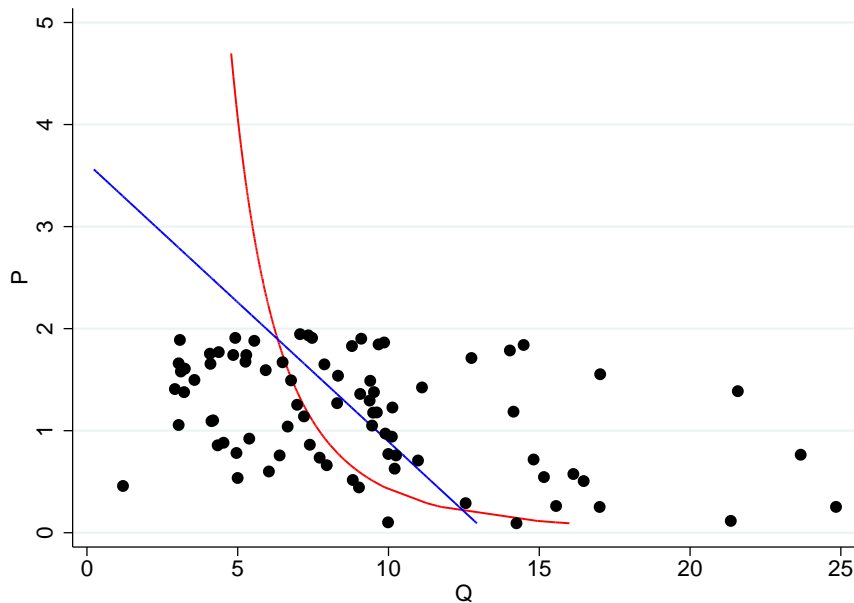
## Structural form

- **Crucial for prediction**
  - **Linear** admits zeros, **logarithmic** easier to control for inflation, less sensitive to large outliers
- **Manipulation:** *If the data don't behave, hit it with a log. If the data still don't behave, hit it with another log.*

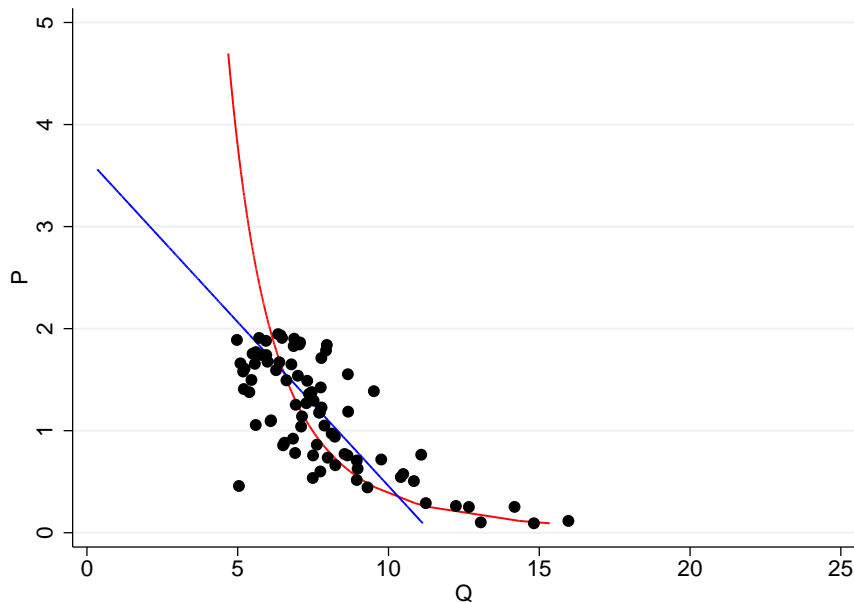
# It's always a dangerous extrapolation



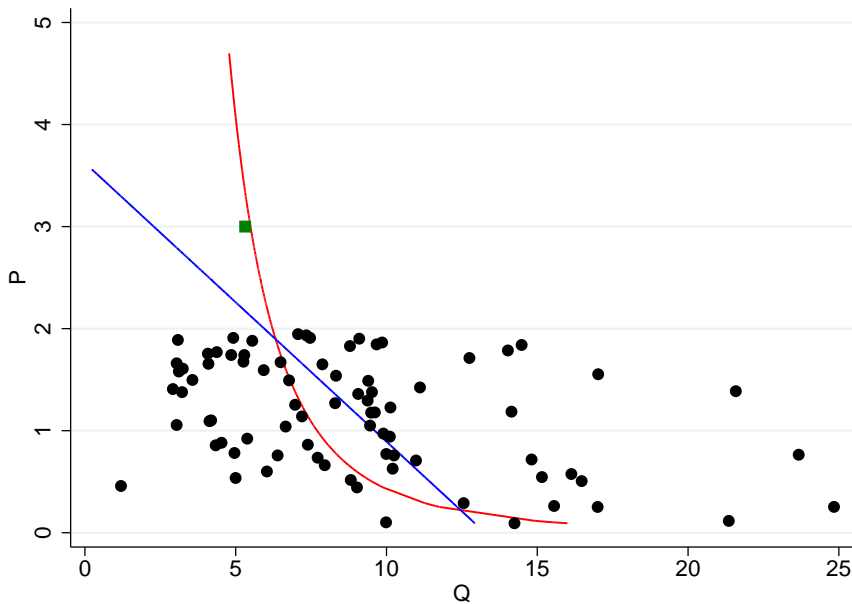
# It's always a dangerous extrapolation



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# It's always a dangerous extrapolation



# Type of data

## Level of aggregation

- Municipality, individual . . .
- **the more informatio, the better, but gains are not linear**
  - **Autocorrelation, clustering**

## Structure

- **Cross-section:** Same time,  $\neq$  towns
- **Time-series:** Same town,  $\neq$  time
- **Panels:** Same towns over time
  - Robust (to misspecification) estimation techniques